

Diploma ⁽¹⁾ PHYSICS.

BOOK R.A. BARNWELL

Syllabus of Physics

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1. Units & Dimensions.
2. Force & motion
3. Work, Power & Energy
4. Rotational motion.
5. Properties of Matter
6. Heat & temperature
7. Wave motion & its application.
8. Optics.
9. Electrostatics
10. Current Electricity
11. Electromagnetism.
12. Semiconductor physics.
13. Modern physics.

1. Units & Dimensions

Physics → Physics is the branch of science that deals with the study of basic laws of nature & their manifestation in various natural phenomena.

Physical quantities → length, mass, speed, force, electric current - etc.

Physical quantity are of two type:—

(I) Fundamental quantities (II) Derived quantities.

There are seven fundamental or base quantities

- (a) Mass (b) length (c) time (d) electric current
(e) temp^r (f) luminous intensity (g) amount of substance

FLMLTA

METALTE

(14)

2

② (17) Derived quantities :- All physical quantities other than the seven fundamental quantities are derived quantities.

Example \rightarrow velocity, acceleration, force, momentum etc.

System of units :- A complete set of units which is used to measure all kinds of fundamental & derived quantities is called a system of units.

(I) C.G.S. system \rightarrow (cm, gm, sec) system

Length \rightarrow cm.

Mass \rightarrow gm.

Time measure \rightarrow sec.

(II) F.P.S. system \rightarrow foot, pound & second system.

(III) M.K.S. system \rightarrow Metre, kilogram & second system.

(IV) SI :- The International system of units.

Basic SI quantities & units

S.No	Basic Physical quantity	Basic unit	Symbol
1.	Length	metre.	m.
2.	Mass	kilogram	kg.
3.	Time	second	s
4.	Temperature	Kelvin	K.
5.	Electric current	ampere	A
6.	Luminous Intensity	Candela	cd
7.	Quantity of matter	mole	mol

Supplementary S.I. units.

S.No	Supplementary quantity	Basic unit	Symbol
1.	Plane angle	radian	rad.
2.	Solid angle	steradian	sr.

Unit And Measurements

Dimensional Formulae

[Metre] | length \rightarrow [L]
 mass \rightarrow kg [M]
 time \rightarrow sec [S]

Physical Quantity	Relation with other quantities	Dimensional Formulae	S.I Unit
1. Area	length \times breadth	$L \times L = L^2$ [M ⁰ L ² T ⁰]	m ²
2. Volume	length \times breadth \times height	$L \times L \times L = L^3$ [M ⁰ L ³ T ⁰]	m ³
3. Density	$\frac{\text{Mass}}{\text{Volume}}$	$\frac{M}{L^3} = [ML^{-3}T^0]$	kg m ⁻³
4. Speed or Velocity	$\frac{\text{Distance}}{\text{Time}}$	$\frac{L}{T} = [M^0LT^{-1}]$	MS ⁻¹ or m/sec
5. Acceleration	$\frac{\text{Change in velocity}}{\text{Time}}$	$\frac{LT^{-1}}{T} = LT^{-2}$ = [M ⁰ LT ⁻²]	MS ⁻²
6. Momentum =	Mass \times Velocity	$M \times LT^{-1}$ = [MLT ⁻¹]	kgms ⁻¹
1. Force	Mass \times Acceleration	$M \times LT^{-2}$ = [MLT ⁻²] kg-m/sec ²	N (Newton)
3. Work	Force \times Distance	$MLT^{-2} \times L$ = [ML ² T ⁻²] [kgm ² /sec ²]	J (Joule)
1. Energy	Amount of work.	[ML ² T ⁻²]	J (Joule)
2. Power	$\frac{\text{Work}}{\text{Time}}$	$\frac{ML^2T^{-2}}{T} = [ML^2T^{-3}]$	W (Watt)

(W)

11. Pressure

$\frac{\text{Force}}{\text{Area}}$

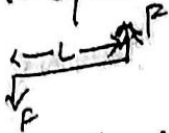
$$\frac{MLT^{-2}}{L^2} = [ML^{-1}T^{-2}]$$

Pa (Pascal)
 Nm^{-2}

12. Moment of Force or Torque

Force x
Per distance

$$MLT^{-2} \times L = [ML^2T^{-2}] \quad \text{Nm}$$



Per = Perpendicular

$$F = G \cdot \frac{M_1 M_2}{r^2} \therefore G = \left[\frac{F r^2}{M_1 M_2} \right]$$

13. Gravitational constant 'G'

$\frac{\text{Force} \times (\text{distance})^2}{\text{Mass} \times \text{Mass}}$

$$\frac{MLT^{-2} \times L^2}{M \times M} = [M^{-1}L^3T^{-2}]$$

$Nm^2 Kg^{-2}$

14. Impulse of a force

Force x Time

$$MLT^{-2} \times T = [MLT^{-1}] \quad \text{Ns}$$

15. Stress

$\frac{\text{Force}}{\text{Area}}$

$$\frac{MLT^{-2}}{L^2} = [ML^{-1}T^{-2}]$$

Nm^{-2}

16. Strain

$\frac{\text{Change in dimension}}{\text{Original dimension}}$

$[M^0L^0T^0]$
(Dimensionless)

17. Coefficient of Elasticity

$\frac{\text{Stress}}{\text{Strain}}$

$$\frac{ML^{-1}T^{-2}}{1} = [ML^{-1}T^{-2}]$$

Nm^{-2}

18. Surface Tension

$\frac{\text{Force}}{\text{Length}}$

$$\frac{MLT^{-2}}{L} = [ML^0T^{-2}]$$

Nm^{-1}

19. Surface Energy

$\frac{\text{Work}}{\text{Area}}$

$$\frac{ML^2T^{-2}}{L^2} = [ML^0T^{-2}]$$

Jm^{-2}

20. Coefficient of Viscosity

$\frac{\text{Force} \times \text{distance}}{\text{Area} \times \text{Velocity}}$

$$\frac{MLT^{-2} \times L}{L^2 \times LT^{-1}} = [ML^{-1}T^{-1}]$$

$[ML^{-1}T^{-1}] \quad Nm^{-2}s$
 $[ML^{-1}T^{-2}T] \quad \text{or Pa s}$
 $\frac{Pa}{Pa \text{ sec}} = Pa s$

Dimensional equation →

→ The dimensional equation of force is

$$[\text{Force}] = [MLT^{-2}]$$

→ The dimensional equation for pressure is

$$[\text{pressure}] = [ML^{-1}T^{-2}]$$

Principle of homogeneity of dimensions: -

A physical equation will be dimensionally correct if the dimensions of all the terms occurring on both sides of the equation are the same.

Thus, only the physical quantities of the same kind can be added, subtracted or compared.

Thus, velocity can be added to velocity but not to force.

Applications of dimensional equations: -

(a) To find the unit of a given physical quantity.

eg. volume = $l \times b \times h = [L] \times [L] \times [L] = m^3$

(b) To find dimensions of physical constants or coefficients.

eg. $G = \frac{F r^2}{m_1 m_2} = \frac{[MLT^{-2}][L^2]}{[M][M]} = [M^{-1}L^3T^{-2}]$

$= m^3/kg s^2$

(c) Conversion of system of unit (only force, work)

Example → Convert one Newton into dyne. (in syllabus)

Dimensional formula for Newton = $[MLT^{-2}]$

or $[N] = [kg m/s^2]$ | B.U. $1 kg = 10^3 g$

& $1 m = 10^2 cm$

∴ $1 N = (10^3 g)(10^2 cm)/s^2$

$= 10^5 gm cm/s^2 = 10^5 \text{ dyne}$

⑥ ① Convert one joule into erg.

⑥ Check

Joule S.I. unit of energy

erg C.G.S. unit of energy

Dimensional formula of energy = $[ML^2T^{-2}]$

$$\begin{aligned} a &= 1 \\ b &= 2 \\ c &= -2 \end{aligned}$$

Energy = force × distance
 $= [MLT^{-2}] [L] = [ML^2T^{-2}]$

unit = kg m²/s²

S.I.

C.G.S.

$M_1 = 1 \text{ kg} = 1000 \text{ gm}$

$M_2 = 1 \text{ gm}$

$L_1 = 1 \text{ m} = 100 \text{ cm}$

$L_2 = 1 \text{ cm}$

$T_1 = 1 \text{ sec}$

$T_2 = 1 \text{ sec}$

$n_1 = 1 \text{ Joule}$

$n_2 = ? \text{ erg}$

$$n_1 [M_1^a L_1^b T_1^c] = n_2 [M_2^a L_2^b T_2^c]$$

$$n_2 = n_1 \left[\frac{M_1}{M_2} \right]^a \left[\frac{L_1}{L_2} \right]^b \left[\frac{T_1}{T_2} \right]^c$$

$$= 1 \cdot \left[\frac{1000}{1} \right]^1 \left[\frac{100}{1} \right]^2 \left[\frac{1}{1} \right]^{-2}$$

$$= 1 \times 10^3 \times 10^4 = 10^7$$

$$\therefore 1 \text{ Joule} = 10^7 \text{ erg}$$

⑦ checking of correctness of equation

① Check whether the following equation is dimensionally correct.

$$\frac{1}{2} mv^2 = mgh$$

Soln

$$\rightarrow \left[\frac{1}{2} mv^2 \right] = [M] [LT^{-1}]^2 = [ML^2T^{-2}]$$

$$[mgh] = [M] [LT^{-2}] [L] = [ML^2T^{-2}]$$

∴ Dimension of LHS = Dimension of RHS
 Hence the given eqⁿ is dimensionally correct.

(b) Check the correctness of the equation.

$$Fs = \frac{1}{2}mv^2 - \frac{1}{2}mu^2$$

Where F is the force acting on a body of mass m and s is the distance moved by the body when its velocity changes from u to v .

Solⁿ $[Fs] = [MLT^{-2}][L] = [ML^2T^{-2}]$

$$[\frac{1}{2}mv^2] = M[LT^{-1}]^2 = [ML^2T^{-2}]$$

$$[\frac{1}{2}mu^2] = M[LT^{-1}]^2 = [ML^2T^{-2}]$$

Since dimensions of all the terms in the given equation are same.

Hence the given equation is dimensionally correct.

(c) Check the dimension accuracy of the eqn.

$$s = ut + \frac{1}{2}at^2$$

Solⁿ - $[s] = [L]$

$$ut = [LT^{-1}][T] = [L]$$

$$[\frac{1}{2}at^2] = [LT^{-2}][T^2] = [L]$$

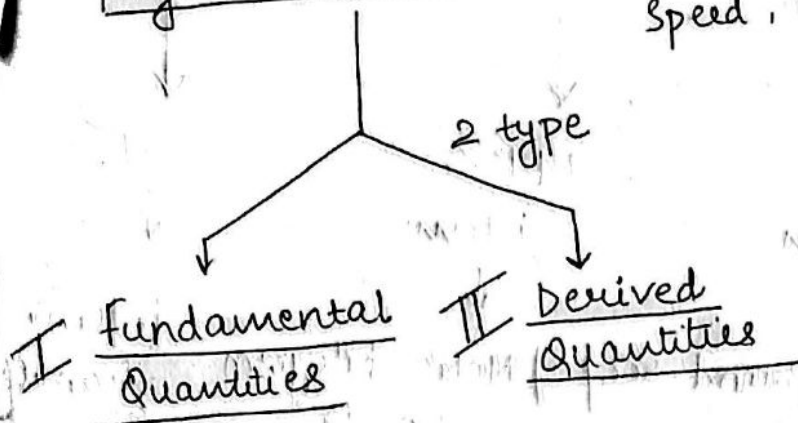
Since all the terms in the given eqn. are same.

Hence the given eqn is dimensionally correct.

1. Units and Dimensions

Physics → Physics is the branch of science that deals with the study of basic laws of nature and their manifestation in various natural phenomena.

Physical Quantities → length, Mass, Temperature, Speed, force etc.



7 types

	<u>Basic unit</u>	<u>Symbol</u>
① Mass	Kilogram	kg
② Length	metre	m
③ Time	second	s
④ Electric current	Ampere	A
⑤ Temperature	Kelvin	K
⑥ Luminous Intensity	candela	cd
⑦ Amount of substance	mole	mol

Derived Quantities → All physical quantities other than the seven fundamental quantities

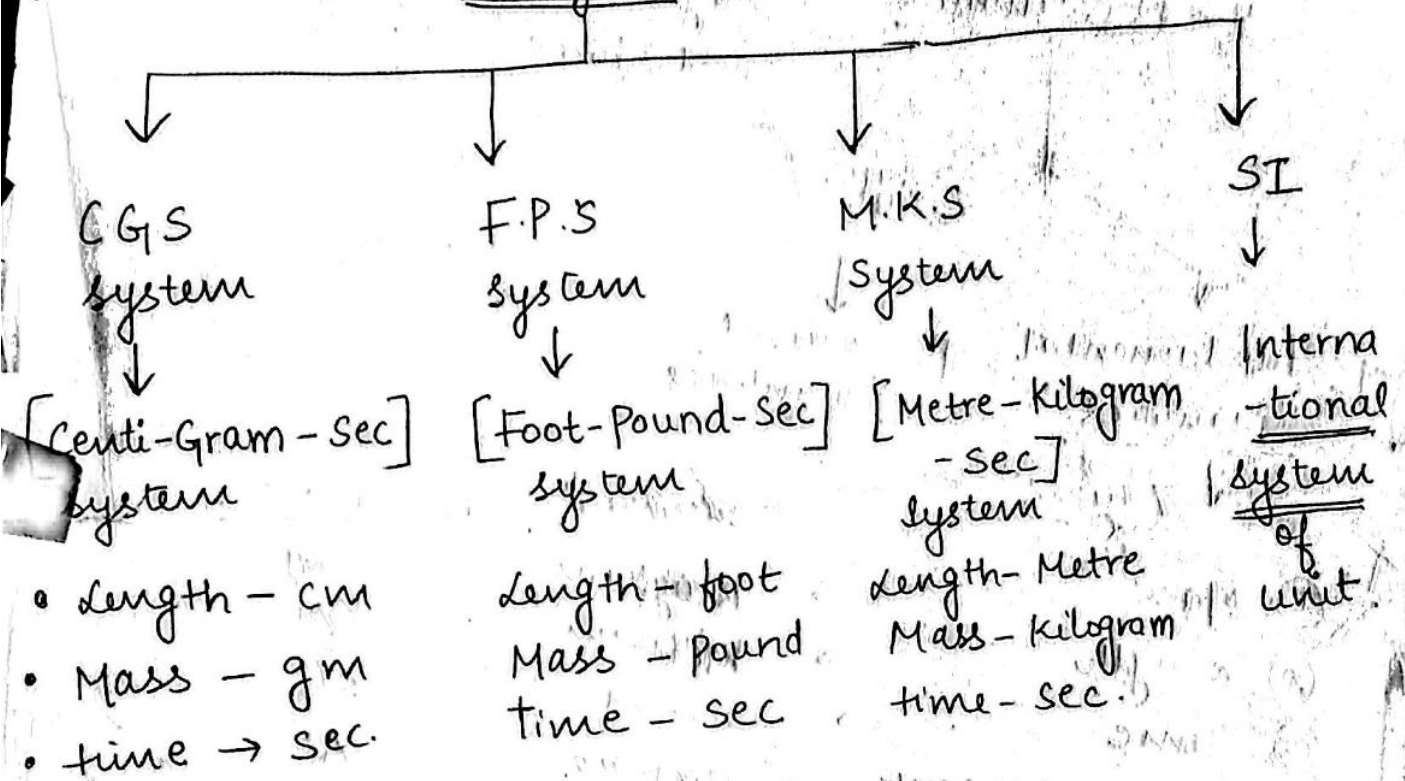
Example

↳ velocity, acceleration, force, Momentum etc

System of units

↳ A complete set of units which is used to measure all kinds of fundamental and derived quantities is called a system of units.

4 system



Supplementary SI units

1. plane angle → radian
unit: radian, symbol: rad
2. solid angle → Steradian
unit: Steradian, symbol: sr.